

Organizing and Analyzing Data

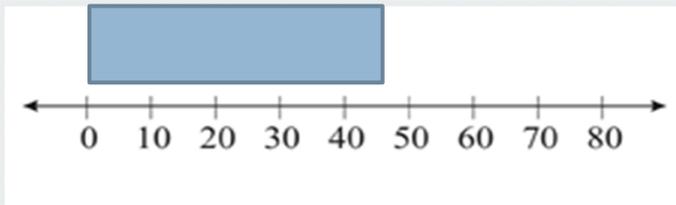
Measurement, Analysis, Display & Significance

Written by and used with permission from Dana Gonzalez, Greater New Orleans STEM Initiative

Measurement

→ Accuracy

➤ 45.324905832 from this instrument?

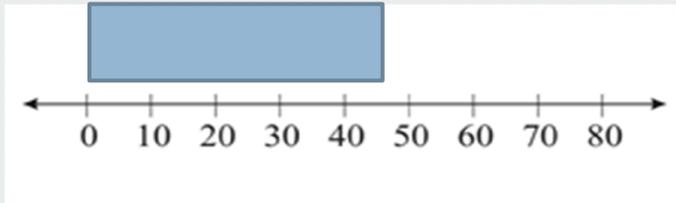


➤ No → most precise estimate could be to the tenths place because instrument's markings are only specific enough to allow estimation of one digit

Measurement

→ The rule:

→ Report a measurement to the precision of the instrument plus one estimated digit

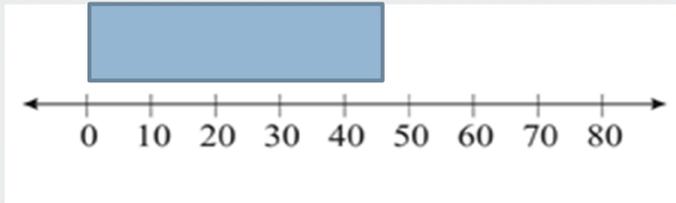


→ What would the reading for this measurement be?

Measurement

→ The rule:

→ Report a measurement to the precision of the instrument plus one estimated digit



→ What would the reading for this measurement be?

→ Answer: 45.3

Data Tables

- Tables need to be titled
- Data tables must include units of measurement

Trial #	Treatment #1 Mass (g)	Treatment #2 Mass (g)
1	9	13
2	10	14
3	8	12

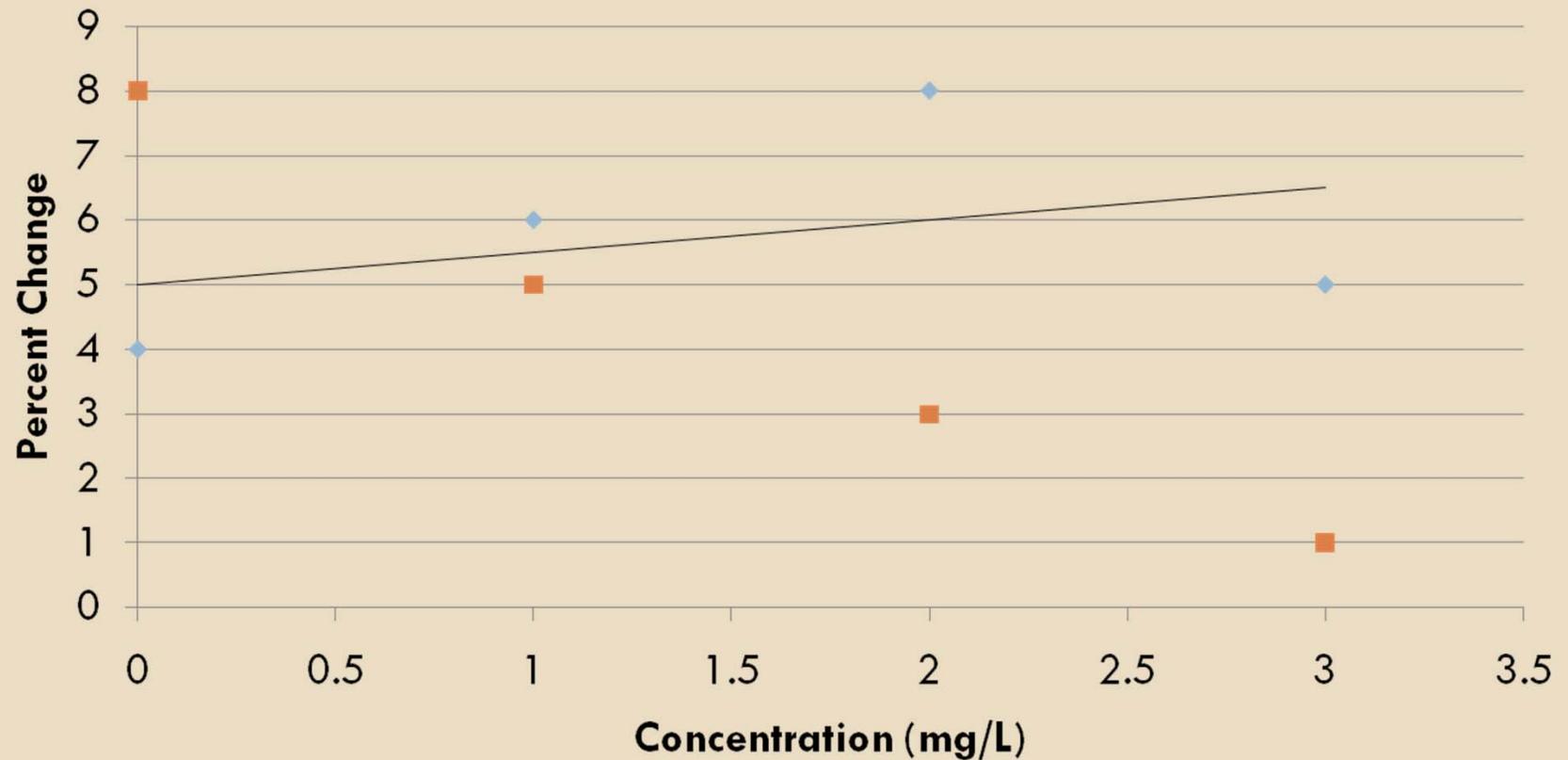
Graphing Data

- Categorical data: does not fit a mathematical formula
 - Use a bar graph
 - Use a histogram for categorical range data (i.e. grades)

- Continuous data: can be described by a line with a slope or a smooth curve
 - Scatter plot
 - Use best-fit line, don't connect the dots

Graphing: Best-Fit Line

Concentration vs. Growth



Graphing: Variables

- What type of data are these?
- Which values are plotted on the x-axis?
- Which values are plotted on the y-axis?

Concentration	Percent Change
0%	4
1%	6
2%	8
3%	5

Memory device: “IX” and “DY”

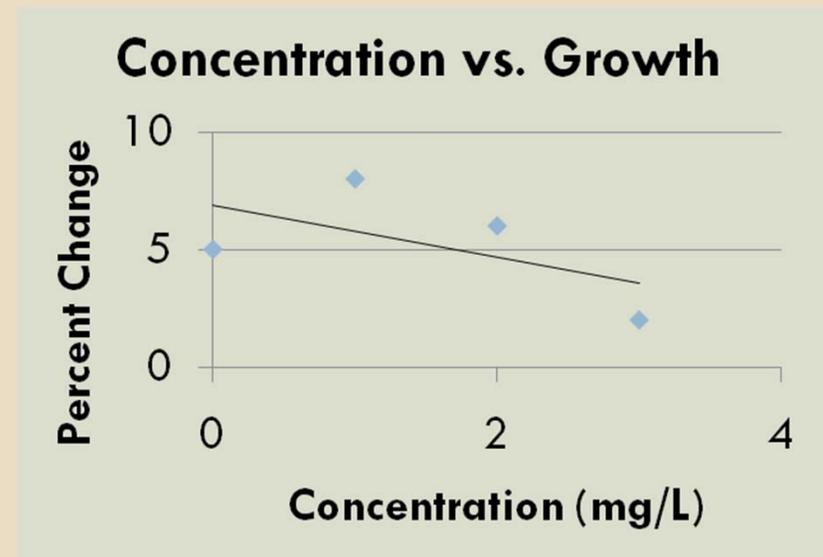
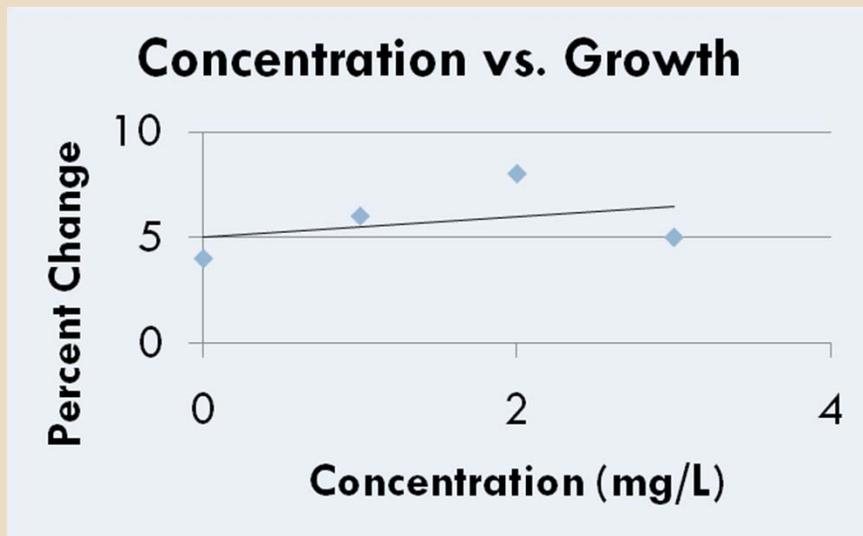
Graphing: Variables

- What type of data are these? **Continuous data**
- Which values are plotted on the x-axis?
 - **Concentration, the independent variable**
- Which values are plotted on the y-axis?
 - **Percent change, the dependent variable**

Concentration	Percent Change
0%	4
1%	6
2%	8
3%	5

Memory device: “IX” and “DY”

Graph: Relationship of x to y



- As x -values increase, what is happening to the y -values?
 - Which graph shows an inverse proportion?
 - Which graph shows a direct proportion?

Graphical to Algebraic Representation



$$\text{Rate (Slope)} = \frac{\text{Rise}}{\text{Run}}$$

$$m \text{ (Slope)} = \frac{\Delta y}{\Delta x}$$

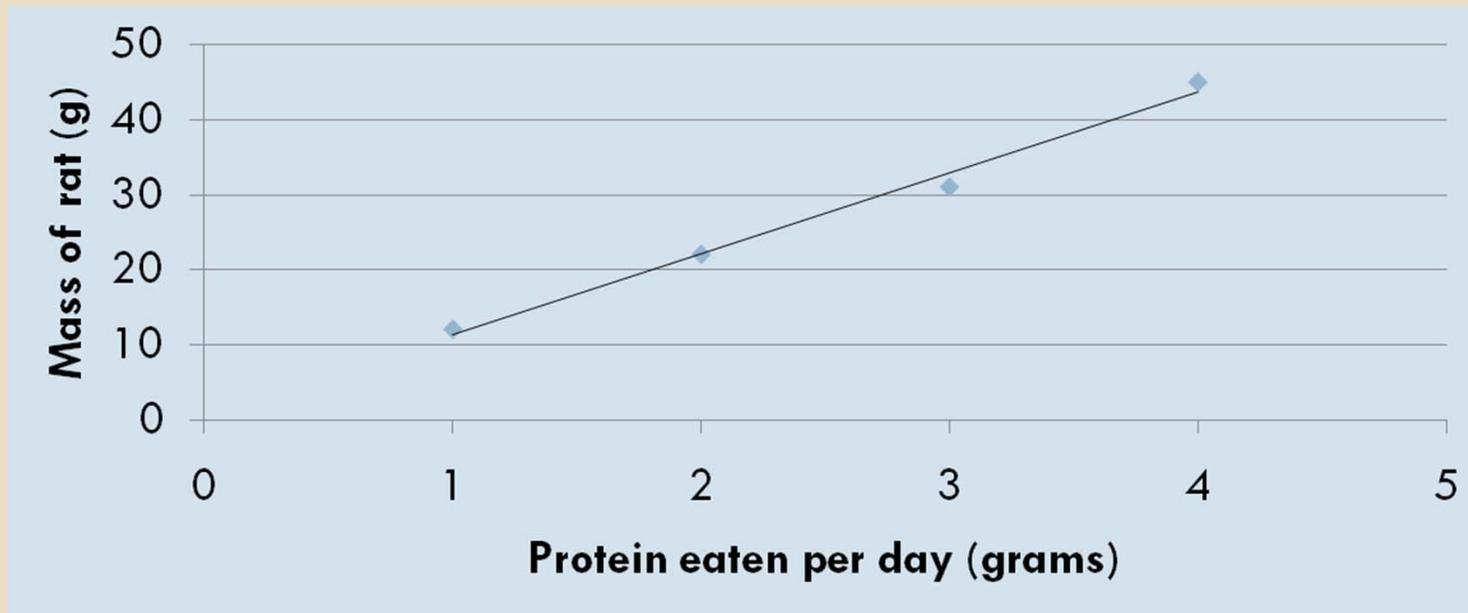
$$y = mx + b$$

- Which line shows the fastest rate?
- “Ski slope” trick: steeper graph = fastest rate

Graphing: Interpolation

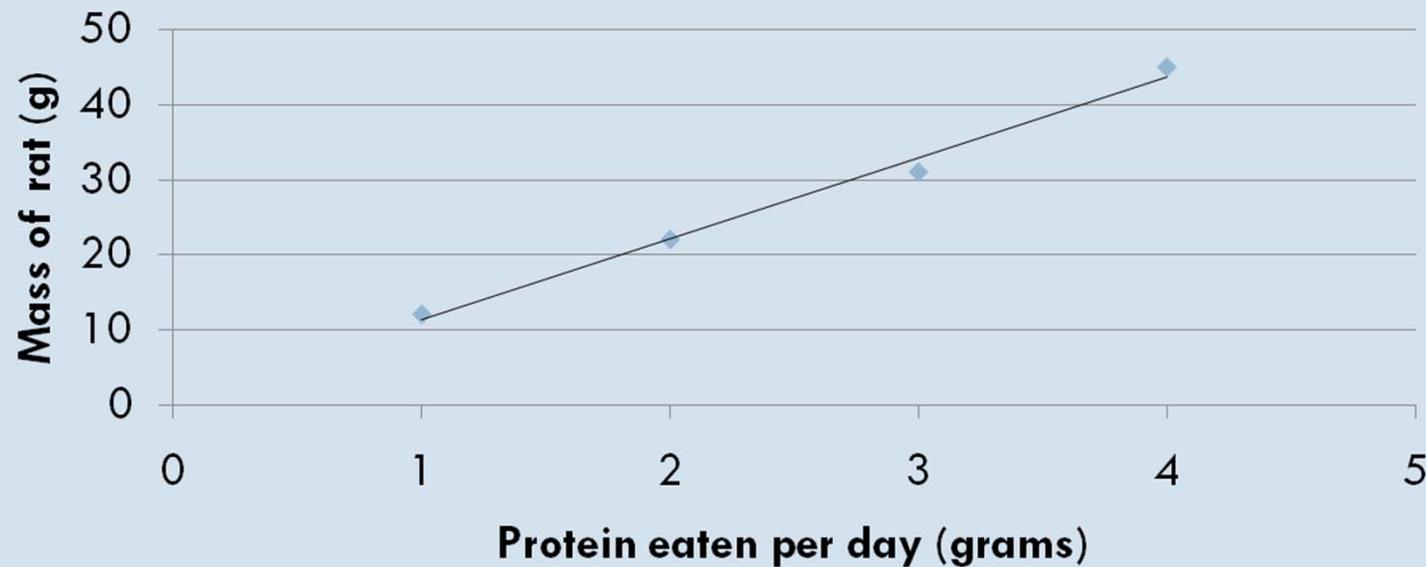
- Interpolation: using a graphical relationship to predict a measurement you *haven't actually measured*
 - Interpolation is between data points!
 - Use slope to interpolate data
 - Extrapolation not allowed for experimental data
- You are **not** allowed to use the “projected value” or values outside the range of data

Graphing: Interpolation



- A rat of mass 25 g ate how much protein per day?
- Eating 3.6 g of protein per day would result in a rat of what mass?

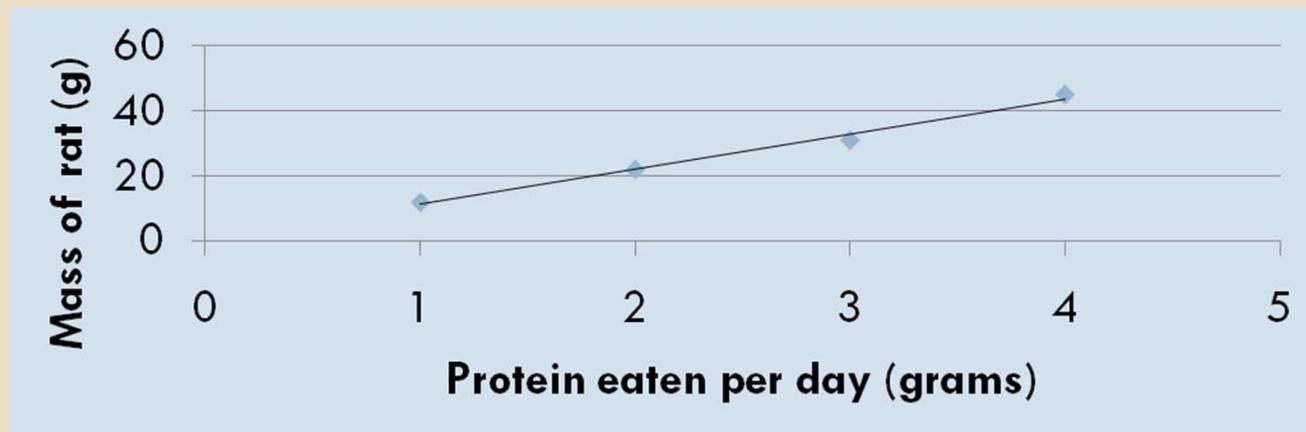
Graphing: Interpolation



- A rat of mass 25 g ate how much protein per day?
 - About 2.3 g (estimated from graph)
- Eating 3.6 g of protein per day would result in a rat of what mass?
 - A rat with a mass of about 40 grams (estimated from graph)

Graphing: Extrapolation

- *Extrapolation* involves making predictions outside of the data range
- Not always valid because the relationship is not necessarily linear and predictable



- A rat having a mass of 50 grams would eat how many grams of protein a day?

Extrapolation

- In order to extrapolate, you have to re-measure the data in order to include the range you want to measure
- ***Reasons not to extrapolate:***
 - *Data changes at high and low extremes*
 - *High and low values often approach zero or plateau in value*

Statistics: Evaluating a Hypothesis

- Hypothesis should express a cause and effect relationship:
 - ▣ The dependent variable will occur as a result of an independent variable applied to a system as measured by a method.

 - You will need to write a null hypothesis and an alternate hypothesis

 - A null hypothesis is always in the form of:
 - ▣ The dependent variable will NOT occur as a result of an independent variable applied to a system as measured by a method.
- OR
- ▣ The dependent variable will have no effect of the independent variable in the system as measured by a method.

Statistics: Evaluating a Hypothesis

□ **Example:**

- Carbohydrate consumption will cause an increase in the mass of rats.
- *What is the independent variable?*
- *What is the dependent variable?*
- *Is this a null hypothesis or an alternate hypothesis?*

Statistics: Evaluating a Hypothesis

□ **Example:**

- Carbohydrate consumption will cause an increase in the mass of rats.
- *What is the independent variable?*
- *What is the dependent variable?*
- *Is this a null hypothesis or an alternate hypothesis?*

Statistics: Evaluating a Hypothesis

□ Example:

- Carbohydrate consumption will cause an increase in the mass of rats.
- *What is the independent variable?*
 - *Carbohydrate consumption*
- *What is the dependent variable?*
 - *The mass of the rats*
- *Is this a null hypothesis or an alternate hypothesis?*
 - *This is an alternate hypothesis, since it implies a connection between the IV and DV.*

Statistics: Evaluating a Hypothesis

□ Example of a null hypothesis:

- Carbohydrate consumption will *not* cause an increase in the mass in rats.

OR

- There is no correlation between carbohydrate consumption and mass change in rats.

Statistics: Evaluating a Hypothesis

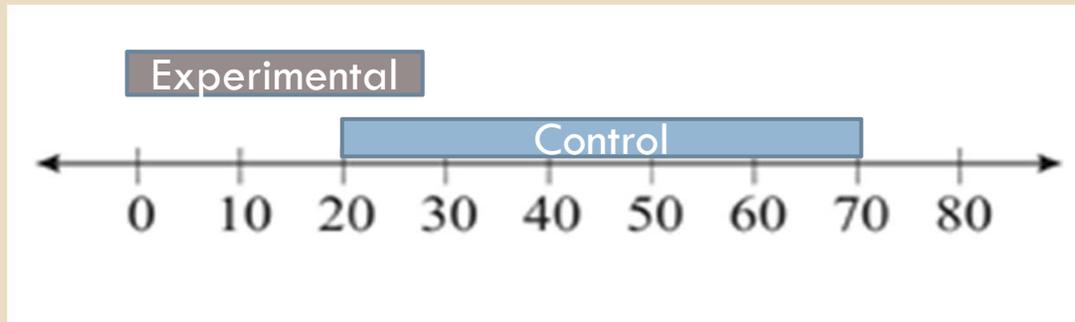
- Are the two means significantly different from each other?

Group	Mean Mass
Control- 10 mice (no carbohydrate diet)	60 g
Experimental- 10 mice (carbohydrates diet)	45 g
10% of control average	$(0.1) \times (60) = 6$

- **The 10% Rule:** if the experimental mean (values) are more than 10% different from the control mean (values), the data can be considered *significant*.
 - Not that this is NOT the same as “statistically significant.”

Statistics: Evaluating a Hypothesis

- Hypothesis: Carbohydrate consumption will NOT cause an increase in the mass of rats.



*Note that you evaluate the “null” hypothesis first

If the difference between control and experimental data is greater than 10% of the control, there is a significant difference between them.

Choosing a Statistical Test

- Define the nature of the independent and dependent variables
 - Categorical
 - Can't put in mathematical formula
 - Cannot interpolate
 - Bar graphs/histograms
 - Continuous
 - Goes in mathematical formula
 - *Can* interpolate

Choosing a Statistical Test

- Categorical variable values cannot be sequentially ordered or differentiated from each other using a mathematical method
 - *Interpolation makes no sense!*
- Categorical data examples include:
 - Location of samples taken
 - Treatments-
 - Amounts of chemicals added to different test groups
 - Hurricane damage by Category storm

Choosing a Statistical Test

- Continuous variables are numeric values that can be ordered sequentially and that do not naturally fall into discrete ranges.
 - Data can be any value within reason
 - *Can interpolate!*
- Continuous data examples include:
 - Weight or mass
 - Number of seconds it takes to perform a task
 - Number of words on a page

Choosing a Statistical Test

Independent Variable	Dependent Variable	
	Categorical	Continuous
<i>Categorical</i>	Chi-square	t-test, ANOVA
<i>Continuous</i>	Linear discriminate analysis Quadratic discriminate analysis	Regression

- For your IRP data, you will probably be using either a chi-square test, a t-test or an ANOVA
- If you are not sure